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## To: Readers of the Cartoon Guide to Statistics

From: Larry Gonick and Woollcott Smith (wksmith@temple.edu)
Subject: Correction to the Old Edition of the Cartoon Guide. All changes have been made in the 2015 revised edition of the Cartoon Guide.

| Page | Position | In text | Change to |
| :---: | :---: | :---: | :---: |
| 37 | Bubble at bottom | Avec tu Cherie? | Avec toi Cherie? |
| 102 | Top panel Last line | $.8397 \leq \hat{p} \leq .8613$ | $.8387 \leq \hat{p} \leq .8613$ |
| 143 | Top right box diagram | left-end of box appears to extend only to 130 . | left-end of box should extend to the first quartile, 125. |
| 40 | Bottom | faces sum to three? | faces sum to three (event A$)$ ? |
| 47 | Bottom | Bayes (1744-1809) | Bayes (1701-1761) |
| 56 | Bottom panel | Y axis tick labels: $1 / 16,2 / 16,3 / 16,4 / 16$, 5/16, 6/16 | Y axis tick labels: $1 / 36,2 / 36,3 / 36,4 / 36,5 / 36$, 6/36 |
| 68 | Center panel | $E[X]=0 \cdot p(0)=1 \cdot p(1)$ | $E[X]=0 \cdot p(0)+1 \cdot p(1)$ |
| 82 | Top | $\sigma=n p(1-p)$ | $\sigma=\sqrt{n p(1-p)}$ |
| 86 | Top | $\sigma=n p(1-p)=2.5$ | $\sigma=\sqrt{n p(1-p)}=2.5$ |
| 87 | Top | hideous | hideous-looking, but easy to use, |
| 107 | Middle | $s=\frac{1}{n-1} \sum_{i=1}^{n}\left(x_{i}-\bar{x}\right)^{2}$ | $s=\sqrt{\frac{1}{n-1} \sum_{i=1}^{n}\left(x_{i}-\bar{x}\right)^{2}}$ |
| 110 | Bottom | single observation | single sample |
| 114 | Bottom | this is a single observation | this is a single estimate |
| 118 | In four different lines | $\sigma(p)$ | $\sigma(\hat{p})$ |
| 119 | Bottom | $3 \%$ margin of error. | 3-percentage-point margin of error. |
| 124 | Middle | $\hat{p}+E$ | $\hat{p} \pm E$ |
| 150 | Top | Chapter 8 | Chapter 7 |
| 168 | Third line from bottom | Standard deviations $S_{1}$ and $S_{1}$ | Standard deviations $S_{1}$ and $s_{2}$ |
| 171 | Top right | $\sqrt{\frac{s_{p o o l}^{2}}{n_{1}}+\frac{s_{\text {pool }}^{2}}{n_{2}^{2}}}$ | $\sqrt{\frac{s_{\text {pool }}^{2}}{n_{1}}+\frac{s_{\text {pool }}^{2}}{n_{2}}}$ |
| 171 | Lower | $\sqrt{\frac{4 \cdot 229^{2}+6 \cdot 328^{2}}{10}}$ | $\sqrt{\frac{4\left(229^{2}\right)+6\left(238^{2}\right)}{10}}$ |
| 171 | Top right | $n_{1}-n_{2}-2$ | $n_{1}+n_{2}-2$ |
| 205 | Top | $\pm(2.365)(25.15)$ | $\pm(2.365)(25.15) \sqrt{0.3777}$ |

